

H: Aggressive Traveller

- Time Limit: 2 sec

You are very eager to travel to many countries. There are N countries in the world. M distinct pairs of the countries have a travel route between the two countries. All the M routes are one-way: if there is a route from A to B , you can move from country A to country B , but not from B to A unless there is another route from B to A . Now you are in country S and set the goal of your travel to country T . From S to T , you want to visit the countries as many times as possible.

However, there are some restrictions. There are K countries which have strict security checks before you enter these countries. The flow of the security check of the i -th restricted country c_i is as follows:

1. You show your passport to an officer.
2. The officer checks your passport. If at least one of the following two conditions is satisfied, your entrance is rejected:
 1. Your passport has two or more stamps of the same country.
 2. Your passport has more than r_i stamps.
3. Otherwise your entrance is accepted. The officer stamps your passport with a stamp of country c_i .
4. You enter the country c_i .

Note that in $N - K$ countries other than K restricted countries, passport checking is skipped so you can freely enter these countries but you must get a stamp of a country you enter. Also notice that you may be able to enter c_i at most twice, because you get a stamp **after** passport checking. Initially your passport has only a single stamp of country S .

As an aggressive traveller, you want to maximize the number of stamps on your passport. You are going to start your travel from country S and eventually finish the travel at country T . Write a program that outputs the maximum number of stamps you can get on your passport when you reach T . This number includes the stamps of countries S and T . If you cannot reach T from S , output 'UNREACHABLE' instead. Also, if you can indefinitely repeat to visit countries and then eventually reach T , output 'INFINITY' instead. Note that you don't have to stop your travel when reaching T and can visit T multiple times.

Input

The input consists of a single test case in the format below.

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N M K S T
u1 v1
⋮
uM vM
c1 r1
⋮
cK rK

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The first line contains five integers N ($3 \leq N \leq 1,000$), M ($2 \leq M \leq 10,000$), K ($1 \leq K \leq N$), S ($1 \leq S \leq N$), T ($1 \leq T \leq N$). N is the number of countries. M is the number of routes between pairs of countries. K is the number of restricted countries. S and T are the countries you start your travel from and want to reach, respectively. The i -th of following M lines is the information of the i -th route: you can move from countries u_i to country v_i ($1 \leq u_i, v_i \leq N$). The j -th of further following K lines is the information of the j -th restricted country: country c_j ($1 \leq c_j \leq N$) has the limit r_j ($1 \leq r_j \leq 5$) of the number of stamps on your passport.

You can assume:

- $S \neq T$,
- no self-loop, i.e. $u_i \neq v_i$ for $1 \leq i \leq M$,
- no duplicate routes, i.e. $u_i \neq u_j$ and/or $v_i \neq v_j$ for $1 \leq i < j \leq M$,
- no duplicate restricted countries, i.e. $c_i \neq c_j$ for $1 \leq i < j \leq K$, and
- countries S and T are not restricted, i.e. $c_j \neq S$ and $c_j \neq T$ for $1 \leq j \leq K$.

Output

Output the maximum number of stamps you can get on your passport during your travel from S to T . If you cannot reach T from S , output 'UNREACHABLE'. If you can get an infinite number of stamps on your passport, output 'INFINITY'.

Examples

Input	Output
<pre> 4 5 1 1 4 1 2 1 3 2 1 2 3 3 4 3 2 </pre>	4

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3 3 1 1 2 1 2 1 3 3 1 3 5	4
4 2 2 1 4 1 2 3 4 2 5 3 5	UNREACHABLE
4 4 1 1 4 1 2 2 3 3 2 3 4 2 3	6
4 4 1 2 3 2 1 1 3 3 4 4 3 1 1	INFINITY
4 4 1 1 3 1 2 2 3 3 4 4 3 4 5	5
6 7 1 1 6 1 2 2 3 3 1 3 4 4 5 5 6 6 4 3 5	INFINITY
6 7 1 1 6 1 2 2 3 3 1 3 4 4 5 5 6 6 4 4 5	6
7 6 5 1 7 1 2 2 3 3 4 4 5 5 6 6 7 2 1 3 2 4 3 5 4 6 4	UNREACHABLE
4 4 1 1 4 1 2 2 3 3 1 2 4 3 2	6