

Problem K. Odd trip plans

- Time Limit: 3 sec

Problem Statement

JAG is a country with n airports numbered through 1 to n . There are some airways, each of which connects two different airports bidirectionally. In other words, if an airway connects airports u and v , a passenger can move either from u to v or from v to u in a single flight. Airways may be newly established or abolished.

Mr. Oddytrip, who is a traveler loving odd numbers, plans a trip from an airport to another one by flights. Let's say that he boards k flights: A flight from airport p_1 to p_2 , then from p_2 to p_3 , then from p_3 to p_4 , and so on, and finally from p_k to p_{k+1} . This trip plan, which begins with p_1 and ends with p_{k+1} , is written as

$p_1 \rightarrow p_2 \rightarrow p_3 \rightarrow p_4 \rightarrow \dots \rightarrow p_k \rightarrow p_{k+1}$. According to his aesthetics, a trip plan is *beautiful* if each of n airports appear an odd number of times in the trip plan. For example, if $n = 6$, trip plans $3 \rightarrow 4 \rightarrow 5 \rightarrow 6 \rightarrow 1 \rightarrow 2$ and $1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 5 \rightarrow 3 \rightarrow 2 \rightarrow 3 \rightarrow 2 \rightarrow 6$ are beautiful while $1 \rightarrow 3 \rightarrow 6$ and $1 \rightarrow 2 \rightarrow 3 \rightarrow 4 \rightarrow 1 \rightarrow 5 \rightarrow 6$ aren't. In particular, each of the n airports appears at least one in a beautiful trip plan.

Initially, there are m airways. Then, you are given q queries, which should be processed in the order they are given. Each query is of one of the two kinds below:

- $1 \ x \ y$: The existence of the airway between airports x and y changes. If there is already an airway between airports x and y , then such an airway is abolished. In other words, Mr. Oddytrip is no longer able to board the direct flight between airports x and y (until it is newly established again). On the other hand, if there wasn't such an airway before, an airway between airports x and y is newly established. In other words, Mr. Oddytrip can board a direct flight between airports x and y (until it is abolished again).
- $2 \ x \ y$: You have to determine whether there can be a beautiful trip plan which begins with airport x and ends with airport y using the airways which are available at that time.

Input

The input consists of a single test case of the following format.

```
n m q
u1 v1
⋮
um vm
t1 x1 y1
⋮
tq xq yq
```

The first line consists of three integers n , m and q ($2 \leq n \leq 100,000$, $0 \leq m \leq 100,000$, $1 \leq q \leq 100,000$), where n is the number of airports in JAG country, m is the number of airways which are initially available, and q is the number of queries.

The i -th of the following m lines consists two integers u_i and v_i ($1 \leq u_i < v_i \leq n$) representing that an airway between airports u_i and v_i is initially available. It is guaranteed that these m airways are distinct.

The j -th of the following q lines consists of three integers t_j , x_j and y_j ($1 \leq t_j \leq 2$, $1 \leq x_j < y_j \leq n$) representing the type of the query and the numbers of two airports as described above. It is guaranteed that there is at least one query where $t_j = 2$.

Output

For each query where $t_j = 2$, print "Yes" in a single line if there can be a beautiful trip plan which begins with airport x and ends with airport y . Otherwise, print "No" in a single line.

Sample Input 1

```
4 2 6
1 2
3 4
2 1 2
1 2 3
2 1 2
1 2 4
1 2 3
2 1 3
```

Sample Output 1

```
No
Yes
Yes
```

Sample Input 2

```
5 5 4
1 2
2 3
3 4
1 4
4 5
2 1 3
2 1 4
1 2 4
2 1 4
```

Sample Output 2

```
Yes
No
Yes
```